Features as Resources in R-LFG

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1 Introduction

This paper describes a new formalization of Lexical-Functional Grammar called R-LFG (where the "R" stands for "Resource-based"). The formal details of R-LFG are presented in Johnson (1997); the present work concentrates on motivating R-LFG and explaining to linguists how it differs from the "classical" LFG framework presented in Kaplan and Bresnan (1982).

This work is largely a reaction to the linear logic semantics for LFG developed by Dalrymple and colleagues (Dalrymple et al., 1995; Dalrymple et al., 1996a; Dalrymple et al., 1996b; Dalrymple et al., 1996c). As they note, LFG's f-structure completeness and coherence constraints fall out as a by-product of the linear logic machinery they propose for semantic interpretation, thus making those f-structure mechanisms redundant. Given that linear logic machinery or something like it is independently needed for semantic interpretation, it seems reasonable to explore the extent to which it is capable of handling feature structure constraints as well.

R-LFG represents the extreme position that *all* linguistically required feature structure dependencies can be captured by the resource-accounting machinery of a linear or similiar logic independently needed for semantic interpretation. The goal is to show that LFG linguistic analyses can be expressed as clearly and perspicuously using the smaller set of mechanisms of R-LFG as they can using the much larger set of mechanisms in LFG: if this is the case then we will have shown that positing these extra f-structure mechanisms are not linguistically warranted. One way to show this would be to present a translation procedure which reduces LFGs to equivalent R-LFGs, but currently no such procedure is known. Thus we proceed on a case by case basis, demonstrating that particular LFG analyses can be expressed at least as well in R-LFG.

R-LFG is also of interest because it proposes a radically different basis for feature structure interaction. In "unification-based" theories of grammar feature structures are typically viewed as static objects, which are the solutions to systems of feature structure constraints (called *f-descriptions* in LFG) (Kaplan and Bresnan, 1982; Rounds, 1997; Shieber, 1986). However, linguists often talk informally of "feature assignment" and "feature checking"; notions which cannot be expressed in a pure unification grammar. As discussed below, LFG does contain formal devices which can expresses these notions indirectly, viz., the non-monotonic devices such as existential constraints and constraint equations. On the other hand, the resource oriented nature of R-LFG provides a direct and natural formalization of the intuitions behind feature assignment and feature checking.

The rest of this paper is structured as follows. The next section sketches the architecture of R-LFG and compares it to that of standard LFG. The following section introduces the reader to the idea that features are resources by demonstrating that one method of describing agreement relationships in standard LFG already possesses a resource-oriented character. The section following that describes how very simple agreement relationships can be described in R-LFG, and the final substantive section shows how Andrews (1982) analysis of Icelandic Quirky Case marking can be re-expressed in R-LFG.

2 R-LFG: a simplification of LFG

The architectural simplification of R-LFG is best appreciated when compared with that of standard LFG together with the linear logic semantics augmentation of Dalrymple et. al. This section starts by sketching the architecture of standard LFG, and then presents the revised architecture of R-LFG.

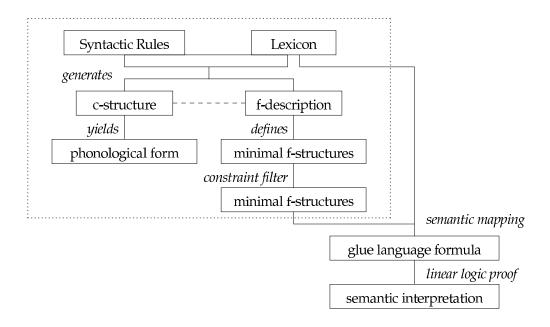


Figure 1: The architecture of standard LFG. The linear logic semantics component is shown outside the dotted box.

2.1 The architecture of standard LFG

Figure 1 shows the architecture of this "standard" LFG. The components of LFG as presented by Kaplan and Bresnan (1982) are shown inside the dotted box in this figure, and the linear logic machinery for semantic interpretation posited by Dalrymple et. al. is depicted outside this box: see these references for further details.

In LFG, a syntactic description of an utterance is taken to be a pair constiting of a c-structure and an f-structure.¹ The yield of the c-structure tree determines the phonological form of the sentence it describes.

The c-structure/f-structure pairs generated by an LFG are determined by the following procedure. The syntactic rules and lexical entries of an LFG together generate a set of c-structure trees, each of which is paired with a formula called an f-description which identifies which (if any) f-structures this c-structure can be paired with. The f-descriptions are boolean combinations of equations. These equations come in two kinds: *defining* and *constraining* equations.

The simplest account of the relationship between f-descriptions and the f-structures they describe seems to be procedural, following Kaplan and Bresnan (1982).² First, the f-description is expanded into Disjunctive Normal Form (DNF) and the f-structure solution to each conjunct is determined as follows. The constraining equations are temporarily ignored (i.e., replaced with *true*) and if the resulting formula is satisfiable and has a unique minimal satisfying f-structure, that f-structure is a candidate solution to the conjunct. This candidate solution is a (true) solution to the conjunct just in case it also satisfies the formula obtained by replacing each constraining equation in the conjunct with corresponding defining equations. The set of solutions to an f-description is

¹There are proposals for additional structures, which for simplicity are ignored here.

²See Johnson (1995) for an attempt to provide a declarative interpretation for constraining equations using circumscription, and comments on why such an approach seems to be impossible in a logic where boolean connectives are interpreted classically.

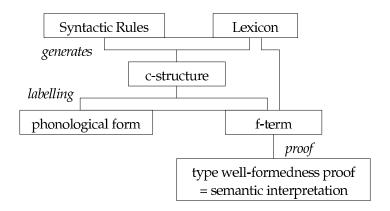


Figure 2: The architecture of R-LFG.

the union of the set of solutions to each conjunct of its DNF, so the f-description determines a finite number of f-structures.

Dalrymple et. al. use these f-structures as the input to their semantic interpretation procedure. Certain elements in an f-structure are associated with formula in a *glue language*, which is an amalgam of linear logic and classical first-order logic, in effect mapping each f-structure into a formula of the glue language For semantic interpretation to succeed this glue language formula must derive a term with the type of a saturated proposition: the argument of this term is the semantic interpretation of the sentence.

2.2 The architecture of R-LFG

The architecture of R-LFG is depicted in Figure 2. The most striking difference between LFG and R-LFG is that R-LFG does not contain an independent level of f-structure representation, since the same mechanisms used for semantic interpretation are also used to account for syntactic feature dependencies. Given that it is a simpler architecture, it should be preferred on grounds of parsimony.

The lexical entries and syntactic rules of R-LFG generate c-structure/f-term pairs in the same way that they generate c-structure/f-description pairs in LFG. In LFG several steps are required to obtain the f-structures that serve as the input to semantic interpretation from the f-descriptions. However, in R-LFG the f-term serves as the input to semantic interpretation directly. Thus in R-LFG the linguistic effects of f-structure constraints must be obtained by other means, viz., the same logical mechanisms used for semantic interpretation.

As explained below, these logical mechanisms enforce a *resource accounting* which ensures that every predicate combines with an appropriate number of arguments and that every non-root semantic unit appears as the argument of some predicate. The semantic interpretation itself is determined by the pattern of predicate-argument combination via the Curry-Howard correspondence, as explained in Johnson (1997). Since syntax rather than semantics is the focus of this paper, semantic interpretation is not discussed further here.

This same resource accounting mechanism is also used to describe feature dependencies. Purely syntactic features with no semantic content differ from semantically interpreted elements only in that they are semantically vacuous, i.e., given trivial interpretations which are systematically ignored by any functors which take them as arguments.

The resource logic used here differs considerably from the glue language used by Dalrymple et. al. That language includes first-order terms with equality, which can be used to encode feature structure unification in the manner of e.g., Definite Clause Grammars (see Shieber (1986) for a description of the relationship between the first-order terms of Definite Clause Grammars and attribute-value "unification" grammars) and hence directly simulate f-structure attribute-value constraints. While this would provide a straightforward way to encode f-structure constraints in the glue language, it is not clear that such an approach would constitute a real simplification of LFG, rather than just a reshuffling of its complexity.

For this reason, R-LFG uses a much simpler resource logic than the glue language of Dalrymple et. al. Inspired by recent work in Categorial Grammar such as Morrill (1994), the resource logic is propositional modal logic that encodes the types of the semantic objects being manipulated, and the semantic interpretation itself is provided by a Curry-Howard correspondence between proofs and λ -terms (Girard, Lafont, and Taylor, 1989). As van Benthem (1995) demonstrates, a wide variety of substructural logics possess a Curry-Howard correspondence, so the requiremnt that semantic interpretation is obtained in this way does not identify a particular logic. Rather, the precise logic used can be chosen to simplify the overall linguistic theory. Moortgat (1997) develops the theory of propositional multimodal logics used here. The reader is referred to Johnson (1997) for the full details of R-LFG.

3 Describing agreement relationships with LFG

This section discusses two methods often used for describing agreement relationships in LFGs. It turns out that one method, which crucially relies on "constraining equations", can be viewed as describing agreement in terms of resource dependencies. Thus resource based accounts of agreement are not a new innovation of R-LFG, but are already a familiar part of LFG. The principal claim behind R-LFG is that *all* linguistic dependencies can be expressed in this manner, and that the explicit resource-orientation of R-LFG simplifies and clarifies the nature of the linguistic dependencies concerned.

As sketched above and explained in more detail in Kaplan and Bresnan (1982), LFG's f-descriptions contain two different kinds of equations. A defining equation instantiates the value of an attribute, while a constraining equation checks that a value is instantiated by a defining equation elsewhere in the f-description. The linguistic dependencies involved in simple agreement can be described using defining equations alone, or by using a mixture of defining and constraining equations. This latter method has a natural resource interpretation.

To keep things clear, the two methods for describing agreement relationships are explained using the same examples (1).

- (1) a. Sandy snores.
 - b. Professors snore.

Both methods of describing agreement relationships require that the agreeing items (in (1a), *Sandy* and *snores*) are capable of constraining the value of the same f-structure element; this is usually achieved by defining equations associated with syntactic rules. The agreeing items both impose constraints the value of that f-structure element, thus ensuring that only compatible items can appear simultaneously in a syntactic structure.

Figure 3: The c-structure and f-structure for *Sandy snores* generated by the fragment (2–6).

3.1 Agreement using defining equations alone

In this method, both agreeing items constrain the shared f-structure element using defining equations. For example, the grammar fragment in (2–6) generates exactly the two sentences in (1). The c-structure and f-structure generated by this fragment for (1a) is depicted in Figure 3.

Sandy NP (
$$\uparrow$$
 PRED) = 'Sandy' (2)
(\uparrow NUM) = SG
Professors NP (\uparrow PRED) = 'professor' (3)
(\uparrow NUM) = PL
snores VP \uparrow PRED) = 'snore $\langle (\uparrow \text{SUBJ}) \rangle'$ (4)
(\uparrow SUBJ NUM) = SG
snore VP \uparrow PRED) = 'snore $\langle (\uparrow \text{SUBJ}) \rangle'$ (5)
(\uparrow SUBJ NUM) = PL

$$S \longrightarrow NP VP (\uparrow SUBJ) = \downarrow \uparrow = \downarrow$$
 (6)

The lexical entries for subject NPs require that the value of their NUM attribute is SG or PL as appropriate. In addition, the underlined equation in each verb's lexical entry also requires that this value is appropriate for the verb's inflection. If the subject and the verb require different values for this f-structure element (as in the ungrammatical **Professors snores*), the corresponding f-description will require this element to be equal to two different values (e.g., SG and PL). However, the well-formedness conditions on f-structures do not permit this (Kaplan and Bresnan, 1982; Johnson, 1995) so the f-descriptions associated with such sentences are inconsistent, and the sentences themselves are correctly predicted to be ungrammatical.

Thus this method functions by arranging for ungrammatical sentences to be associated with an inconsistent f-description. This observation is in fact quite general: if all grammatical relationships are described using defining equations (i.e., if we restrict attention to the monotonic constraints) then the only way such an equation can have a grammatical "effect" is by being inconsistent with other equations, i.e., by "causing" ungrammaticality.

More precisely, suppose we identify a subset of the elements of a f-structure as follows. The *semantically interpreted elements* are those which serve as the input to the semantic interpretation procedure (in the framework of Dalrymple et. al. these elements are associated with glue language formulae at some stage during the interpretation process). The idea is the semantically uninterpreted elements can be deleted from an f-structure without changing its semantic interpretation. In a typical LFG, the values of attributes such as PRED, SUBJ, OBJ, etc., are semantically interpreted,

while the values of CASE and GENDER (in a grammatical gender language) are not semantically interpreted.

Now consider a "pure unification" grammar without non-monotonic devices such as "constraining equations", e.g., in which all equations are defining equations, such as the PATR grammars of Shieber (1986). These are grammars in which all linguistic relationships are expressed with defining equations. It is possible to show that in such a grammar, if an equation which equates only non-semantic values is not inconsistent with other equations on some input, then deleting it from the grammar does not affect the language generated or the interpretations assigned. (A similiar observation holds in monotonic grammars such as HSPG).

This means that if all grammatical relationships are described using defining equations, a non-semantic feature defining equation only has an effect on the language generated if somewhere else in the grammar there are defining equations that are inconsistent with this one. For example, there is no point in adding a defining equation that introduces an attribute that does not appear elsewhere in the grammar, such as

$$(\uparrow HISTORICAL-ORIGIN) = ROMANCE \tag{7}$$

unless other defining equations that can possibly be inconsistent with it are also introduced. But in order to be inconsistent with (7) these other equations must require the attribute's value to be *different* to the value specified in the former equation, e.g.,

$$(\uparrow HISTORICAL-ORIGIN) = GERMANIC.$$

Thus with defining equations alone, different grammatical properties are based on feature *oppositions* or constrasts. The formal machinery of these monotonic "pure unification" grammars does not completely support non-constrastive or "privative" feature values.

Indeed, f-structures seem to have been specifically designed to enable systems of defining equations to be inconsistent. For example, if we removed either the "functionality" axiom (which requires attributes to be single-valued) or the "constant-constant" clash axiom (which specifies that distinct constants denote distinct f-structure elements) from the formal definition of f-structures, then f-descriptions such as

$$(f \text{ CASE}) = ACC, (f \text{ CASE}) = DAT$$

would not be inconsistent. R-LFG does not possess either the functionality axiom or the constant-constant clash axiom, and hence it does permit a single constituent to bear two such distinct features, so long as both are checked or consumed as described below.

3.2 Agreement using defining and constraining equations

Writers of LFGs often employ constraining equations in order to describe asymmetric linguistic relationships. The subject-verb agreement examples (1) would be described using this method by replacing the lexical entries (4–5) with the following.

snores VP
$$\uparrow$$
 PRED) = 'snore $\langle (\uparrow SUBJ) \rangle'$ (8)
(\uparrow SUBJ NUM) =_c SG

snore VP
$$\uparrow$$
 PRED) = 'snore\((\frac{1}{2} SUBJ)\)\' (\frac{1}{2} SUBJ NUM) = _c PL (9)

These entries differ from the previous ones in that the underlined defining equations have been replaced with constraining equations.

$$\begin{bmatrix} SUBJ & \begin{bmatrix} PRED & 'Sandy' \\ NUM & SG \end{bmatrix} \\ SUBJ & \begin{bmatrix} NUM =_c SG \end{bmatrix} \\ PRED & 'snore \langle (\uparrow SUBJ) \rangle' \end{bmatrix}$$

Figure 4: A alternative minimal f-structure solution to the f-description for (1a) obtained by relaxing the functionality requirements on f-structures. Note that this f-structure never the less does not satisfy the constraining equations expressing subject-verb agreement.

While these two fragments both generate the same language in this case, in general the two methods for describing agreement behave quite differently. For example, if an NP's f-description contains the constraint equation

$$(\uparrow CASE) =_c ACC \tag{10}$$

then this NP must be independently "assigned" a value for the Case feature in order for the f-structure to be well-formed.

This method behaves quite differently to the method that only uses defining equations. It does not rely on feature oppositions in the same way that the defining equation method does. For example, the constraint equation (10) requiring that the NP receive an ACC case value does not rely on the existence of other Case values besides ACC; it functions just as well if ACC is the only Case value used in the grammar. That is, while a defining equation ensures that an attribute has one value rather than another, a constraining equation ensures in addition that the feature has in fact been given a value independently. Thus this method more fully supports privative features than the defining equation method does.

Further, the constraining equation method does not rely on the functionality axiom or the constant-constant clash axioms in the same way that the defining equation method does. For example, even if the functionality requirement on f-structures were relaxed so that the defining equations in the f-description for (1a) could have the second minimal f-structure solution depicted in Figure 4 besides the one depicted in Figure 3, that f-structure would fail to satisfy the constraining equation expressing subject-verb agreement, and so would be ill-formed for independent reasons.

In fact, feature structures in R-LFG behave very much in this way. While attributes are permitted to be single-valued, no feature structure axiom forces them to be so. But since grammatical relationships are described in a way very similiar to the constraining equation method, in general the grammatical requirements of predicates will require that attributes are single-valued.

3.3 Resource management in LFG

The constraining equation method of describing agreement relationships can be described in terms of *resources*, where the resource is the feature value of the shared f-structure entity. Each such feature value is is *produced* by *one or more* defining equations, and is *consumed* by *zero or more* constraining equations. This pattern of resource management is formalized by Intuitionistic Logic.

Interestingly, the special properties LFG endows the values of PRED attributes with provides them with special resource management properties also. The values of PRED attributes must be *produced* by *exactly one* argument, and must be *consumed* by *one or more* predicates. The logic LPC developed by van Benthem (1995) formalizes this resource management.

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Thus LFG already incorporates a number of mechanisms which can be seen as performing resource management. R-LFG attempts to describe all syntactic relationships in terms of such resource management. Identifying the appropriate resource management mode for a particular grammatical relationship is a key step in developing its R-LFG description.

4 Resource accounting in R-LFG

Johnson (1997) formally defines R-LFG's f-terms and presents a logic that describes the resource management relationships between features; that paper should be consulted for full details.

Informally, a f-term is a configuration of one or resources. A resource is identified by its type. The types e and t identify semantically contentful entities (these are the types of individuals and truth values respectively), while types such as NOM and ACC identify semantically vacuous entities (which are interpreted by constants, and whose value is systematically ignored by any function that takes them as an argument).

F-terms describe recursive structures of resources. Types are f-terms, and if $\alpha_1, \ldots, \alpha_n$ are f-terms then:

 α, \dots, α_n is the *multiset* of resource structures $\{\alpha_1, \dots, \alpha_n\}$ (order is unimportant in a multiset, but the number of times an element appears is important),

 $f \alpha$ is the result of *embedding* the structure α under the attribute f,

- $f_1 ldots f_m = g_1 ldots g_n$ is a path equation which *restructures* an f-term by moving a resource structure embedded under the sequence of attributes $f_1 ldots f_m$ so that it is located under the sequence of attributes $g_1 ldots g_n$,
- $\alpha_1 \multimap \alpha_2$ is a *linear implication*, i.e., a structure which consumes an α_1 in order to produce an α_2 , and
- (α) is an *optional* occurrence of the structure α .

An f-term describes a structure of resources. The f-term associated with a sentence is required to simplify to a single resource of type t in order for the sentence to be grammatical. (This single requirement subsumes both the requirement that the f-description be satisfiable and the requirement that the Linear Logic glue formula simplify to an expression of type t in standard LFG). An f-term simplifies by applying linear implications, restructuring using path equations, distributing attributes over multisets, and either deleting optional elements or replacing them with their non-optional counterpart.

Attributes are permitted, but not required, to distribute and factor over multisets. That is, the following biimplication holds, where f is an attribute and α_1 and α_2 are f-terms:

$$f(\alpha_1,\alpha_2) \Leftrightarrow (f\alpha_1),(f\alpha_2).$$

Unlike LFG, R-LFG does not require that attributes are single-valued, nor does it enforce a constant-constant clash. Every f-term is "satisfiable" in that it represents some configuration of resources; grammaticality is determined by whether those resources can combine to produce a single element of type t (the type of a saturated proposition).

S

NP VP

She V

She V

SuBj [

NOM
$$\rightarrow e$$

NOM

SUBj $e \rightarrow t$

Subj $e \rightarrow t$

Figure 5: The c-structure and f-term for *Sandy snores* generated by the fragment (11–13). The f-term simplifies straightforwardly to type t.

4.1 Nominative Case marking in English

A simple R-LFG fragment which describes structural nominative case assignment to subject NPs is presented below. The lexical entry for the pronoun *she* in (11) requires it to consume a NOM case resource in order to produce a resource of type e, and the lexical entry for the verb *snores* in (12) requires it to consume a resource of type e embedded within a SUBJ attribute in order to produce a resource of type t. The syntactic rule (13) specifies how the f-terms associated with the NP and VP (referred to by the meta-variable ' \downarrow ' just as in LFG) are to be combined to produce the f-term for the S. In this case, a multiset consisting of the NP's f-term and a NOM case resource is embedded within a SUBJ attribute, which together with the f-term associated with the VP yields the multiset f-term associated with the S.

she NP NOM
$$\rightarrow e$$
 (11)

snores VP SUBJ
$$e \rightarrow t$$
 (12)

$$S \longrightarrow NP VP SUBJ(NOM,\downarrow) \downarrow$$
 (13)

This fragment generates the c-structure and f-term depicted in Figure 5. The f-term simplifies to type t in the following steps:

SUBJ(NOM, NOM
$$\multimap e$$
), SUBJ $e \multimap t$ (14)

SUBJ
$$e$$
, SUBJ $e \rightarrow t$ (15)

$$t$$
 (16)

4.2 Icelandic Quirky Case Marking

Quirky Case marking in Icelandic presents a more complex array of linguistic data which exercises a wider range of f-term machinery. The analysis presented here is based heavily on the LFG analysis of Andrews (1982).

In Icelandic, subject NPs are usually case marked nominative, as in (17a). However, a few verbs, such as *vantar* 'lacks' exceptionally case mark their subject NPs with accusative or some other non-nominative "quirky" case (17b). The subjects of subject raising verbs, such as *virðist* 'seems', usually appear in nominative case (17c), but if the embedded verb is a quirky case assigning verb then the matrix subject is assigned the quirky case, rather than nominative (17d).

- (17) a. *drengurinn kyssti stúlkuna* the-boy.nom kissed the-girl.acc 'The boy kissed the girl'
 - b. *drengina* vantar mat the-boys.acc lacks food.acc 'The boys lack food'
 - c. *hann* virðist elska hana he.nom seems love her.acc 'He seems to love her'
 - d. *hana virðist vanta peninga* her.acc seems lack money.acc 'She seems to lack money'

This pattern of data receives a straightforward informal account in terms of case assignment if we make the following assumptions:

- All NPs must receive exactly one case,
- Quirky case marking verbs always assign a quirky case,
- Case is preserved in Raising and other grammatical operations, and
- Structural nominative case is only optionally assigned.

Thus if a subject NP receives a quirky case, then that must be the case that it appears in. On the other hand, if the subject NP is not assigned a quirky case, then the only case available is structural nominative case.

This account can be formalized in R-LFG as follows. The phrase structure rules for this Icelandic fragment are the following.

$$S \longrightarrow \frac{NP}{SUBJ((NOM),\downarrow)} \stackrel{VP}{\downarrow}$$
 (18)

$$VP \longrightarrow V \begin{pmatrix} NP \\ OBJ \downarrow \end{pmatrix} \begin{pmatrix} VP \\ XCOMP \downarrow \end{pmatrix}$$
 (19)

The phrase structure rule (18) differs from the corresponding English rule (13) in that it optionally embedds a NOM case under the SUBJ attribute. The phrase structure rule (19) introduces a verb, an optional direct object NP and an optional VP. It embedds the direct object NP's f-term under the OBJ attribute and the VP's f-term under the XCOMP attribute, as is standard in LFG.

The lexical entries (20–22) are required to generate the non-quirky single clause example (17a). The c-structure and f-term associated with this example are shown in Figure 6. It is straightforward to check that this f-term reduces to t.

drengurinn NP NOM
$$-\infty e$$
 (20)

stúlkuna NP ACC
$$\multimap e$$
 (21)

kyssti V OBJ
$$e \rightarrow \text{SUBJ } e \rightarrow t, \text{OBJ ACC}$$
 (22)

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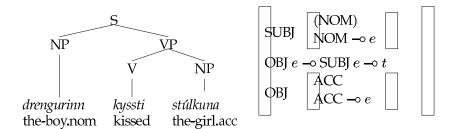


Figure 6: The c-structure and f-term for the single clause non-quirky Icelandic example (17a) generated by (18–22).

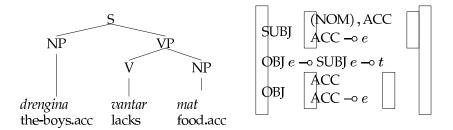


Figure 7: The c-structure and f-term for the single clause quirky case example (17b) generated by (18–24).

The single clause quirky case marked example is only slightly more complex. It can be described with the two additional lexical entries (23–24).

drengina NP ACC
$$\multimap e$$
 (23)

vantar V OBJ
$$e \rightarrow \text{SUBJ } e \rightarrow t, \text{OBJ ACC}, \text{SUBJ ACC}$$
 (24)

The lexical entry for the quirky case marking verb vantar 'lacks' in (24) differs from that for the non-quirky verb kyssti 'kissed' in that it assigns an accusative case to its subject (in the underlined part of the f-term) as well as to its object. The c-structure and f-term for (17b) are depicted in Figure 7. Again, it is straightforward to check that the f-term reduces to t. Note that if the subject were replaced with a nominative NP the f-term would no longer reduce to t, since the ACC case feature embedded under the SUBJ attribute could not be consumed.

The formalization of the non-quirky case Subject Raising example (17c) is very similiar to the standard LFG account of Subject Raising (Bresnan, 1982). The lexical entry (25) for the Raising verb $vir\delta ist$ 'seems' contains the path equation SUBJ = XCOMP SUBJ which permits resources embedded under the SUBJ attribute to be restructured under the XCOMP SUBJ attributes. In this example, a resource of type e is lowered into the embedded clause. The f-term associated with this example is depicted in Figure 8. It is straightforward to check that this reduces to t.

$$vir \delta ist$$
 V XCOMP $t - ct$, SUBJ = XCOMP SUBJ (25)

elska V OBJ
$$e o SUBJ e o t$$
, OBJ ACC (26)

$$\begin{bmatrix} \text{SUBJ} & \begin{bmatrix} \text{NOM} \multimap e \\ (\text{NOM}) \end{bmatrix} \\ \text{XCOMP } t \multimap t \\ \text{XCOMP} & \begin{bmatrix} \text{SUBJ} & \\ \text{SUBJ } e \multimap t \\ \text{OBJ} & \begin{bmatrix} \text{ACC} \multimap e \\ \text{ACC} \end{bmatrix} \end{bmatrix} \end{bmatrix}$$

Figure 8: The f-term for the non-quirky Subject Raising example (17c) generated by (18–26).

$$\begin{bmatrix} \text{SUBJ} & \begin{bmatrix} \text{ACC} \multimap e \\ (\text{NOM}), \underline{\text{ACC}} \end{bmatrix} \\ \text{XCOMP } t \multimap t \\ \text{XCOMP} & \begin{bmatrix} \text{SUBJ} & \\ \text{SUBJ } e \multimap t \\ \text{OBJ} & \begin{bmatrix} \text{ACC} \multimap e \\ \text{ACC} \end{bmatrix} \end{bmatrix} \end{bmatrix}$$

Figure 9: The f-term for the quirky case marked Subject Raising example (17d) generated by (18–26).

The syntactic rules and lexical entries introduced above that are independently needed to account for quirky case marking in single clause constructions and for Subject Raising without quirky case also correctly account for the interaction of those two constructions, which was presented in (17d) on page 10. The f-term for this example is shown in Figure 9.

Just as in the single clause quirky case marking example (17b), the subject NP is assigned both an accusative case and an optional nominative case, so only an accusative subject NP can appear.

5 Conclusion

This paper has introduced a simplified version of LFG called R-LFG in which a single representation called an f-term plays the role of both f-description and f-structure. LFG's f-structure well-formedness constraints are re-expressed in terms of feature resource dependencies, which permits them to be checked by the same mechanism that performs semantic interpretation. It is not implausible that this can be done for many, if not most, LFG analyses, as many standard LFG analyses already have a resource oriented character, and it seems that the "core" LFG analyses of Raising, Control, etc., can be straightforwardly reexpressed in R-LFG.

Even if it turns out that the R-LFG project is ultimately untenable—perhaps it will be possible to demonstrate that some linguistically necessary properties of f-structures simply cannot be adequately captured using the resource logic machinery utilized for semantic interpretation—this research may still contribute by providing an alternative perspective on feature interactions in grammar and suggesting modifications or extensions to the standard LFG framework.

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